## 5.3 Standard Deviation DAY2 - Finding the standard deviation of grouped data (Concept #26)

## Example #1:

The following information regarding gaming hours per week for grade 11 students was obtained through a survey at RHS.

a) Find the mean and standard deviation of the data

**Step 1:** Determine the midpoint of each interval

**Step 2:** Multiply the midpoint with the frequency

**Step 3**: Find the mean of the midpoint x frequency (This is the estimated mean)

**Step 4:** Find the difference between the midpoint and the mean

**Step 5:** Find the square of the difference between the midpoint and the mean

**Step 6**: Multiply the squared difference by the frequency

**Step 7:** Find the mean of the results of the multiplication from

step 6 and then take the square root of that number.

Hours	Frequency		
3-5	7		
5-7	11		
7-9	16		
9-11	19		
11-13	12		
13-15	5		

$$\sigma = \sqrt{\frac{\sum (x - \overline{x})^2}{n}}$$

HOURS (x)	FREQUENCY	FIND: MIDPOINT of HOURS (these are your values of x)	FIND: MIDPOINT multiplied by FREQUENCY # of hours they played video games	FIND: (x - x) (Midpoint –Mean)	FIND: $(x - \overline{x})^2$ Square each term in the previous column	FIND: The previous column multiplied by frequency This is the Aguar Value when
3-5	7	4	7×4= 28	4-8.9=	(-49)2=24.01	24.01×7= 168.07
5-7	11	6	6×11 = 66	6-8.9=	(-29)2-8.41	8.41×11= 92.51
7-9	16	8	16x8 = 128	8-89=	$(-0.9)^2 = 0.81$	0.81 x 16= 12.96
9-11	19	10	19x0 = 190	10-8,9=	$(1.1)^2 = 1.21$	1.21×19 = 22.99
11-13	12	12	12×12= 144	12-8.9=	$(3.1)^2 = 9.61$	9.61×12= 115.32
13-15	5	14	5x14= 70	14-89=	(5.1) = 26.01	26.01×5= 130.05
	Add this column to find n n =		Now find the mean $x$ : Add this column and divide by n $\overline{x} = 626 \text{ hovo}$ $70 \text{ people}$ $X = 8.9 \text{ hoves}/023$			Now find the $\sigma$ by finding mean of this column = and then find its' square root. $\sigma = \sqrt{} = \frac{1}{2}$

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The data (# of hours spent playing 
$$\sigma = \sqrt{541.9}$$
 video games) has a  $\sigma = 2.7$  hours.  $\sigma = 2.7$ 

$$\sigma = \sqrt{\frac{541.9}{70}}$$

$$\sigma = 2.7 \text{ hours}$$